How Many Triangles Are Added Each Time?


## Koch's Snowflake - Looking for Patterns

As you draw your triangles you might like to measure or calculate some or all of the following:

| Iteration | Number of Triangles drawn | Length of each side of the triangle | Number of external sides | Length of Perimeter | Area <br> (if you want a real challenge!) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 1 |  |  |  |  |
| 1 | 3 |  |  |  |  |
| 2 |  |  |  |  |  |
| 3 |  |  |  |  |  |
| 4 |  |  |  |  |  |
| 5 |  |  |  |  |  |
| 6 |  |  |  |  |  |
| 7 |  |  |  |  |  |
| Is the row increasing or decreasing? |  |  |  |  |  |
| Is there a pattern in the row? |  |  |  |  |  |

## Calculating the area

To calculate the area you need to know the area of each triangle you have added, and add those to the previous area. Google provides a handy 'tool to calculate the area of an equilateral triangle'. The area converges towards a number (this means it gets increasingly close towards that number). If you want a really tricky challenge, can you work out what that number might be?

## Calculating for the nth row

If you manged to spot any patterns - awesome job! For an extra tricky challenge, can you work out how to turn that pattern into a rule that would help you calculate this information for any iteration without having to calculate the previous ones?

## Hint: It might help to think through this hypothetical example first

Let's pretend you spotted that a row that started at 0 , increased by ten with each iteration (they don't, this is just an example!). You could calculate the value of the $n$th iteration (we use $n$ to stand for the number of the iteration when it could be any number) by multiplying $n$ by 10 . We could write this as $n \times 10$. So the value of the third iteration would be $3 \times 10=30$.

But what if the first value, iteration 0 , was something other than 10 ? Let's pretend the starting value was 3 , the first iteration 13 , the second 23 and etc. Could you alter $n \times 10$ to make it work for this sequence?

